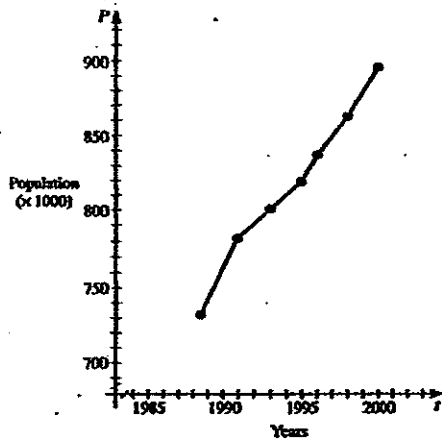


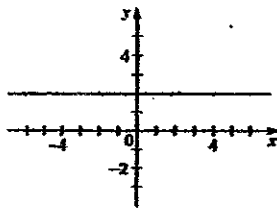
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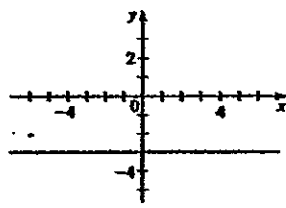
3.2

Section 3.2 = page 180

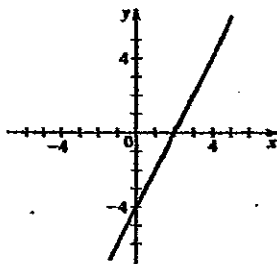
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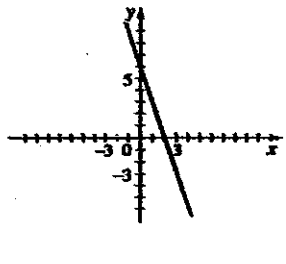
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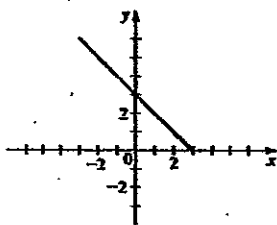
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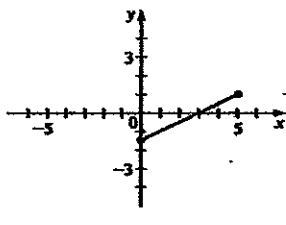
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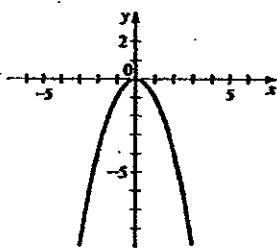
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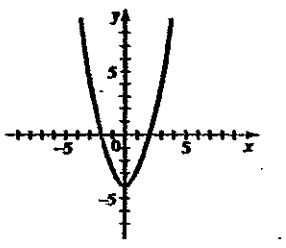
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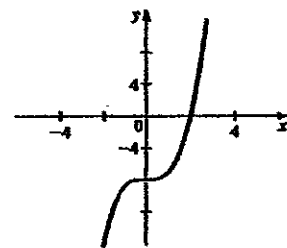
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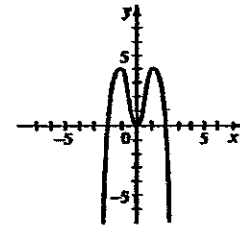
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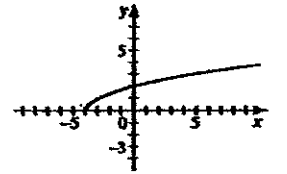
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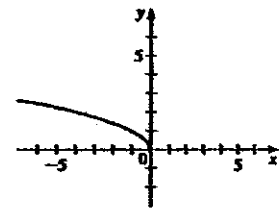
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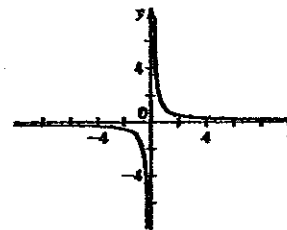
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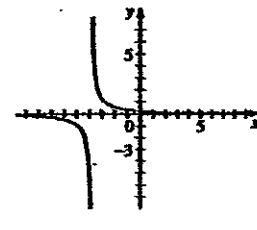
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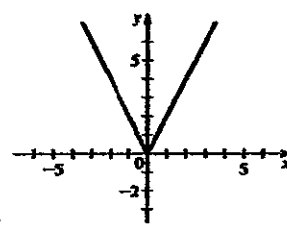
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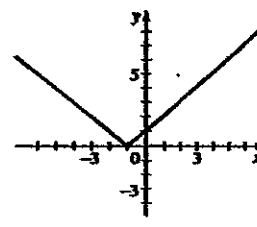
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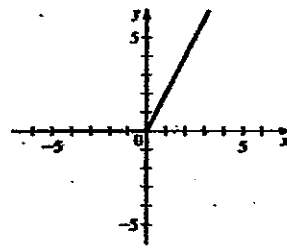
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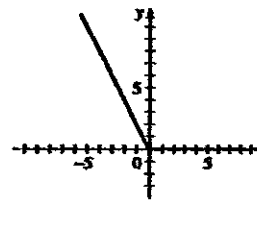
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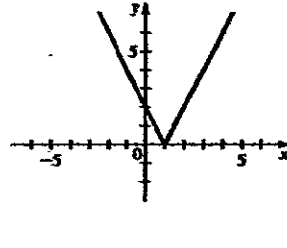
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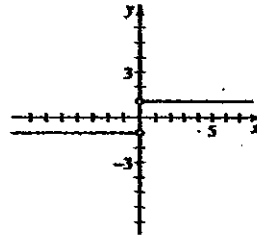
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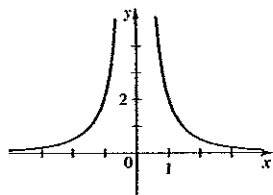
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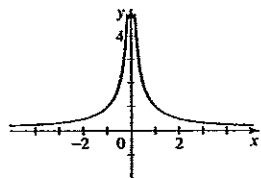
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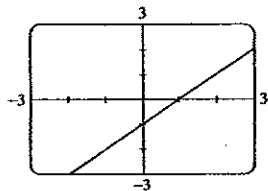
21.



22.

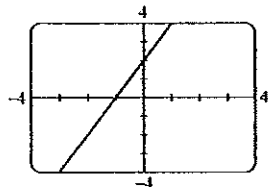


23. (a) 1, -1, 3, 4 (b) Domain  $[-3, 4]$ , range  $[-1, 4]$   
 24. (a) 3, 2, -2, 1, 0 (b) Domain  $[-4, 4]$ , range  $[-2, 3]$   
 25. (a)  $f(0)$  (b)  $g(-3)$  (c) -2, 2  
 26. (a) 1.2 (b) 2.1 (c) 0.4, 3.6  
 27. (a)



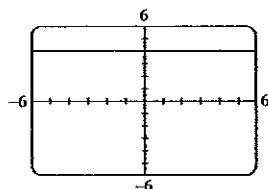
(b) Domain  $(-\infty, \infty)$ , range  $(-\infty, \infty)$

28. (a)



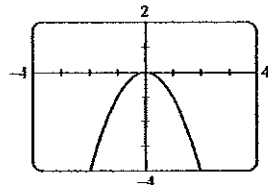
(b) Domain  $(-\infty, \infty)$ , range  $(-\infty, \infty)$

29. (a)



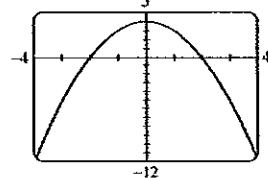
(b) Domain  $(-\infty, \infty)$ , range  $\{4\}$

30. (a)



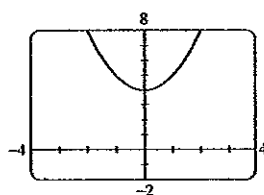
(b) Domain  $(-\infty, \infty)$ , range  $(-\infty, 0]$

31. (a)



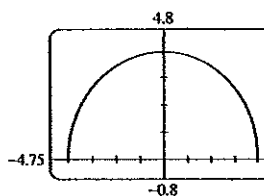
(b) Domain  $(-\infty, \infty)$ , range  $(-\infty, 4]$

32. (a)



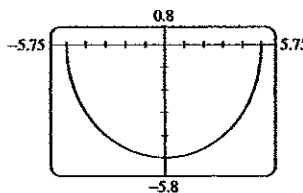
(b) Domain  $(-\infty, \infty)$ , range  $[4, \infty)$

33. (a)



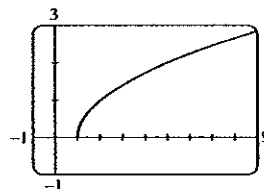
(b) Domain  $[-4, 4]$ , range  $[0, 4]$

34. (a)



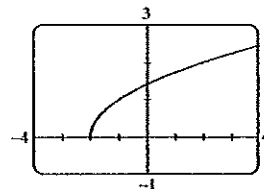
(b) Domain  $[-5, 5]$ , range  $[-5, 0]$

35. (a)



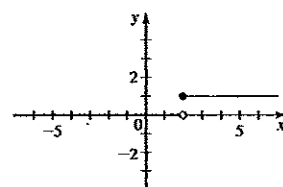
(b) Domain  $[1, \infty)$ , range  $[0, \infty)$

36. (a)

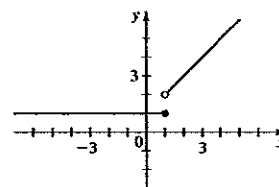


(b) Domain  $[-2, \infty)$ , range  $[0, \infty)$

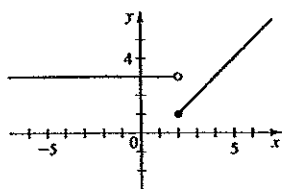
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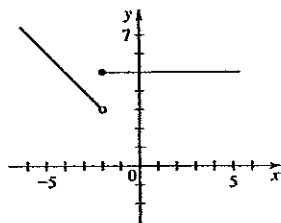
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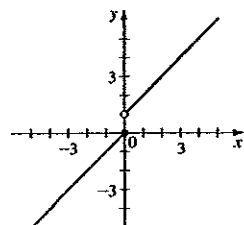
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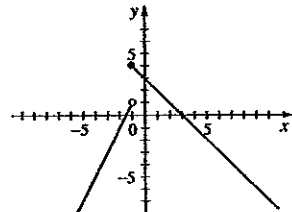
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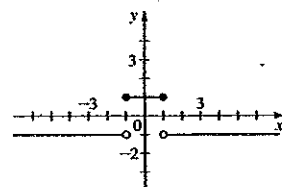
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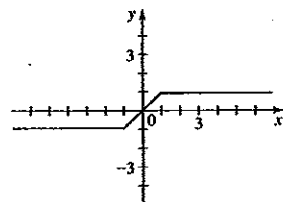
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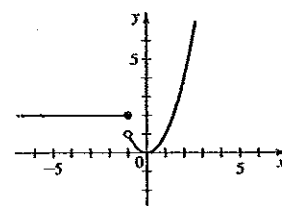
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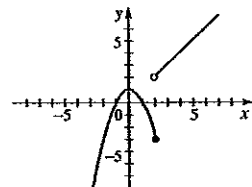
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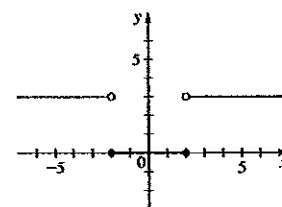
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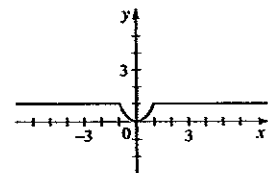
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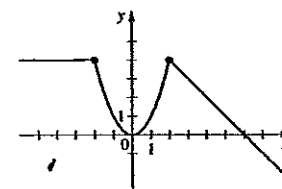
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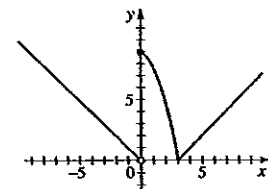
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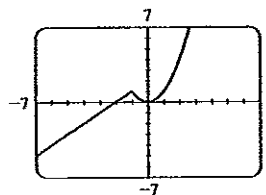
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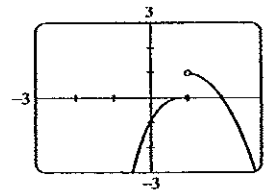
50.



51.



52.



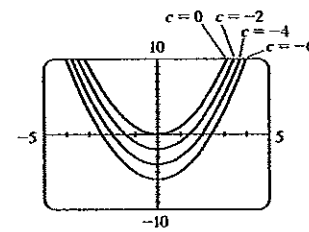
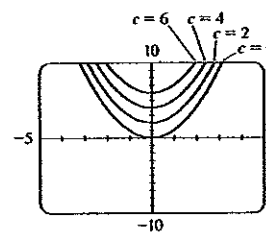
$$53. f(x) = \begin{cases} -2 & \text{if } x < -2 \\ x & \text{if } -2 \leq x \leq 2 \\ 2 & \text{if } x > 2 \end{cases}$$

$$54. f(x) = \begin{cases} 1 & \text{if } x \leq -1 \\ 1 - x & \text{if } -1 < x \leq 2 \\ -2 & \text{if } x > 2 \end{cases}$$

55. (a) Yes (b) No (c) Yes (d) No 56. (a) No  
 (b) Yes (c) Yes (d) No 57. Function, domain  $[-3, 2]$ ,  
 range  $[-2, 2]$  58. Not a function 59. Not a function  
 60. Function, domain  $[-3, 2]$ , range  $\{-2\} \cup (0, 3]$  61. Yes  
 62. Yes 63. No 64. No 65. No 66. Yes 67. Yes  
 68. Yes 69. Yes 70. No 71. Yes 72. No

73. (a)

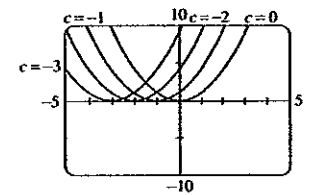
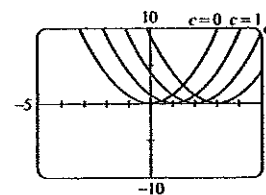
(b)



(c) If  $c > 0$ , then the graph of  $f(x) = x^2 + c$  is the same as the graph of  $y = x^2$  shifted upward  $c$  units. If  $c < 0$ , then the graph of  $f(x) = x^2 + c$  is the same as the graph of  $y = x^2$  shifted downward  $c$  units.

74. (a)

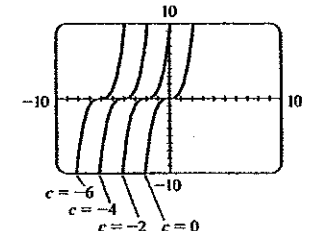
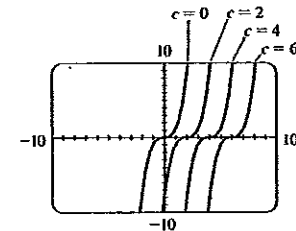
(b)



(c) The graphs in part (a) are obtained by shifting the graph of  $y = x^2$  to the right 1, 2, and 3 units, while the graphs in part (b) are obtained by shifting the graph of  $y = x^2$  to the left 1, 2, and 3 units.

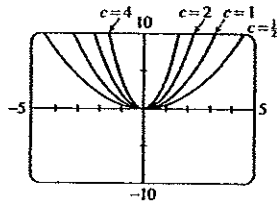
75. (a)

(b)

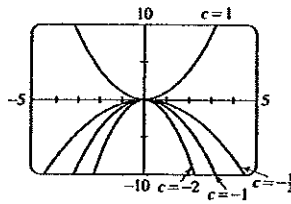


(c) If  $c > 0$ , then the graph of  $f(x) = (x - c)^3$  is the same as the graph of  $y = x^3$  shifted right  $c$  units. If  $c < 0$ , then the graph of  $f(x) = (x - c)^3$  is the same as the graph of  $y = x^3$  shifted left  $c$  units.

76. (a)

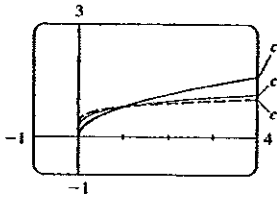


(b)

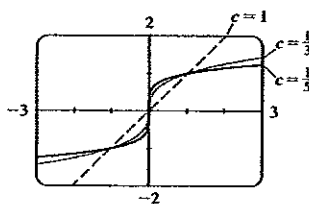


(c) As  $|c|$  increases, the graph of  $f(x) = cx^2$  is stretched vertically. As  $|c|$  decreases, the graph of  $f$  is flattened. When  $c < 0$ , the graph is reflected about the  $x$ -axis.

77. (a)

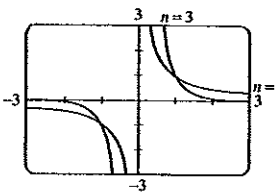


(b)

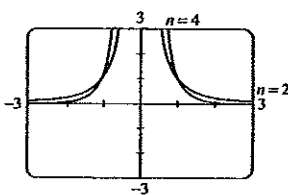


(c) Graphs of even roots are similar to  $\sqrt{x}$ ; graphs of odd roots are similar to  $\sqrt[3]{x}$ . As  $c$  increases, the graph of  $y = \sqrt[n]{cx}$  becomes steeper near 0 and flatter when  $x > 1$ .

78. (a)



(b)



(c) As  $n$  increases, the graphs of  $y = 1/x^n$  go to zero faster for  $x$  large. Also, as  $n$  increases and  $x$  goes to 0, the graphs of  $y = 1/x^n$  go to infinity faster. The graphs of  $y = 1/x^n$  for  $n$  odd are similar to each other. Likewise, the graphs for  $n$  even are similar to each other.

79.  $f(x) = -\frac{7}{6}x - \frac{4}{3}, -2 \leq x \leq 4$

80.  $f(x) = \frac{5}{9}x - \frac{1}{3}, -3 \leq x \leq 6$

81.  $f(x) = \sqrt{9 - x^2}, -3 \leq x \leq 3$

82.  $f(x) = -\sqrt{9 - x^2}, -3 \leq x \leq 3$

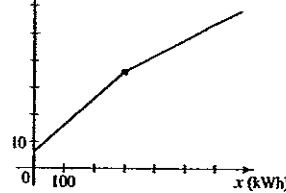
83. This person's weight increases as he grows, then continues to increase; the person then goes on a crash diet (possibly) at age 30, then gains weight again, the weight gain eventually leveling off. 84. The salesman travels away from home and stops to make a sales call between 9 A.M. and 10 A.M., and then travels farther from home for a sales call between 12 noon and 1 P.M. Next he travels along a route that takes him closer to home before taking him farther away from home. He makes a final sales call between 5 P.M. and 6 P.M. and then returns home. 85. A won the race. All runners finished. Runner B

fell, but got up again to finish second. 86. (a) 500 MW, 725 MW (b) Between 3:00 A.M. and 4:00 A.M.

(c) Just before noon 87. (a) 5 s (b) 30 s (c) 17 s

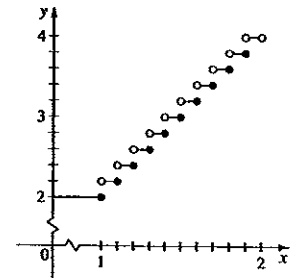
88. (a)  $E(x) = \begin{cases} 6 + 0.10x & 0 \leq x \leq 300 \\ 36 + 0.06(x - 300), & x > 300 \end{cases}$

(b)  $E$  (dollars)



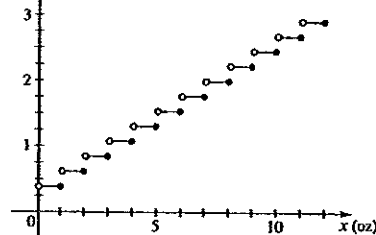
89.

$$C(x) = \begin{cases} 2 & 0 < x \leq 1 \\ 2.2 & 1 < x \leq 1.1 \\ 2.4 & 1.1 < x \leq 1.2 \\ \vdots & \\ 4.0 & 1.9 < x < 2.0 \end{cases}$$



$$90. P(x) = \begin{cases} 0.37 & \text{if } 0 < x \leq 1 \\ 0.60 & \text{if } 1 < x \leq 2 \\ 0.83 & \text{if } 2 < x \leq 3 \\ \vdots & \\ 2.90 & \text{if } 11 < x \leq 12 \end{cases}$$

$P$  (dollars)



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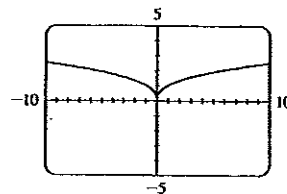
1. (a)  $[-1, 1], [2, 4]$  (b)  $[1, 2]$  2. (a)  $[0, 1]$  (b)  $[-2, 0]$

$[1, 3]$  3. (a)  $[-2, -1], [1, 2]$  (b)  $[-3, -2], [-1, 1], [2, 3]$

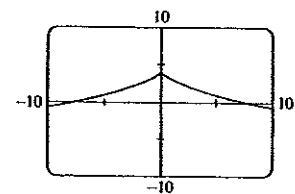
4. (a)  $[-1, 1]$  (b)  $[-2, -1], [1, 2]$

5. (a)

6. (a)



(b) Increasing on  $[0, \infty)$ ; decreasing on  $(-\infty, 0]$



(b) Increasing on  $(-\infty, 0]$ ; decreasing on  $[0, \infty)$